Pattern Synonyms

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Haskell Symposium, September 2016.

Example

```
-- Datatype definition
data Type = TyApp String [Type]
  -- Functions abstract construction
tyInt :: Type
tyInt = TyApp "Int" []
mkFunTy :: Type \rightarrow Type \rightarrow Type
mkFunTy t u = TyApp "->" [t, u]
plusTy :: Type
plusTy = tyInt 'mkFunTy' tyInt 'mkFunTy' tyInt
```

Example

```
-- Datatype definition data Type = TyApp \ String \ [Type]
-- Pattern synonym abstracts matching pattern FunTy :: Type \to Type \to Type pattern FunTy \ t \ u = TyApp "->" \ [t, u] funArgTys :: Type \to ([Type], Type) funArgTys \ (FunTy \ t \ u) = case \ funArgTys \ u \ of \ (ts, r) \to (t:ts, r) funArgTys \ t = ([], t)
```

Pattern synonyms

- Goal: bring function-like abstraction to pattern matching
- Touches all parts of the GHC frontend:
 - Parser, renamer
 - Typechecker
 - Desugarer
 - Interface files
- No backend changes needed
- Our paper shows the breadth; here we show some depth:
 - Typechecking
 - Desugaring

The Typing Principle

It should be possible to determine whether a use of P is well-typed based only on P's type, without reference to P's definition.

What is the type of a pattern?

Scrutinee type:

pattern
$$P1 = True$$

$$\textbf{pattern} \ \textit{P2} = \textit{Just True}$$

Parametric patterns:

pattern
$$P4 x = Just x$$

Scrutinee type:

```
pattern P1 :: Bool
pattern P1 = True
pattern P2 :: Maybe Bool
pattern P2 = Just True
pattern P3 :: \forall a.Maybe a
pattern P3 = Nothing
```

Parametric patterns:

pattern P4 x = Just x

Scrutinee type:

```
pattern P1 :: Bool

pattern P1 = True

pattern P2 :: Maybe Bool

pattern P2 = Just True

pattern P3 :: \forall a.Maybe a

pattern P3 = Nothing
```

Parametric patterns:

```
pattern P4 :: \forall a.a \rightarrow Maybe \ a
pattern P4 \times = Just \times
```

Pattern types: required constraints

Required constraints:

pattern
$$P5 = 42$$

$$\mathbf{pattern}\ P6 = (\mathit{show} \to \texttt{"foo"})$$

Pattern types: required constraints

Required constraints:

```
pattern P5 :: \forall a.(Num\ a, Eq\ a) \Rightarrow a
pattern P5 = 42
```

$$\mathbf{pattern}\ P6 = (\mathit{show} \to \texttt{"foo"})$$

Pattern types: required constraints

Required constraints:

```
pattern P5 :: \forall a.(Num \ a, Eq \ a) \Rightarrow a
pattern P5 = 42
pattern P6 :: \forall a.(Show \ a) \Rightarrow a
pattern P6 = (show \rightarrow "foo")
```

data
$$T$$
 a where $MkT :: (Eq \ a, Show \ b) \Rightarrow a \rightarrow a \rightarrow b \rightarrow T \ a$

$$f(MkT \times y \ v) = if \times y \ then \ Just(show \ v) \ else \ Nothing$$

Matching on MkT brings in scope

- ▶ the type *b*
- ► (Eq a, Show b)

allowing (\equiv) and show to be used on the right-hand side

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Matching on MkT brings in scope

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allowing (\equiv) and show to be used on the right-hand side

 $f :: T \rightarrow Maybe String$

data
$$T$$
 a where $MkT :: (Eq \ a, Show \ b) \Rightarrow a \rightarrow a \rightarrow b \rightarrow T \ a$ pattern $P \times y \ v = MkT \times y \ v$

Matching on P brings in scope

- ▶ the type *b*
- ► (Eq a, Show b)

data
$$T$$
 a where $MkT :: (Eq \ a, Show \ b) \Rightarrow a \rightarrow a \rightarrow b \rightarrow T \ a$ pattern $P \times y \ v = MkT \times y \ v$

Matching on P brings in scope

- ▶ the type *b*
- ► (*Eq a, Show b*)

pattern
$$P :: \forall a.() \Rightarrow \forall b.(Eq \ a, Show \ b) \Rightarrow a \rightarrow a \rightarrow b \rightarrow T \ a$$

Pattern types: required & provided constraints

data
$$T$$
 a where
 $MkT :: (Eq \ a, Show \ b) \Rightarrow a \rightarrow b \rightarrow T \ a$
pattern $P \ v = MkT \ 1 \ v$

- ▶ Matching on *P* requires (*Eq a*, *Num a*)
- ► Matching on *P* **provides** (*Eq a*, *Show b*)

Pattern types: required & provided constraints

data
$$T$$
 a where
 $MkT :: (Eq \ a, Show \ b) \Rightarrow a \rightarrow b \rightarrow T \ a$
pattern $P \ v = MkT \ 1 \ v$

- ▶ Matching on *P* requires (*Eq a*, *Num a*)
- ► Matching on P provides (Eq a, Show b)

pattern
$$P :: \forall a.(Num \ a) \Rightarrow \forall b.(Eq \ a, Show \ b) \Rightarrow b \rightarrow T \ a$$

Pattern synonym types

Pattern synonym types are fully specified on six axes:

- 1. Universially bound type variables univ
- 2. The required context *Req* (with *univ* in scope)
- 3. The scrutinee type *t* (with *univ* in scope)

Surface syntax for pattern synonym type signatures:

 $\mathbf{pattern}\ P :: \forall \mathit{univ}. Req \Rightarrow t$

Pattern synonym types

Pattern synonym types are fully specified on six axes:

- 1. Universially bound type variables univ
- 2. The required context *Req* (with *univ* in scope)
- 3. The scrutinee type t (with univ in scope)
- 4. Existentially bound type variables ex
- 5. The provided context *Prov* (with *univ* and *ex* in scope)
- 6. The types of parameters t1, t2, ... (with univ and ex in scope)

Surface syntax for pattern synonym type signatures:

```
pattern P :: \forall univ.Req \Rightarrow \forall ex.Prov \Rightarrow t1 \rightarrow t2 \rightarrow ... \rightarrow t
```

$$$mP :: \forall r \ a.(Num \ a) \Rightarrow T \ a \rightarrow (\forall b.(Eq \ a, Show \ b) \Rightarrow b \rightarrow r) \rightarrow r \rightarrow r$$

 $$mP \times sk \ fk = case \times of MkT \ 3 \ v \rightarrow sk \ v \rightarrow fk$

Can be represented in existing GHC Core

- No changes needed anywhere downstream
- Exported, linked, and potentially inlined just like any other function
- ► Synthetic *Void*# parameter can be used to prevent incorrect strictness when *r* is unboxed

Semantics is different from macro-substitution! The full (potentially nested) structure of the pattern synonym is matched first:

$$f1 :: [Bool] \rightarrow Bool$$

 $f1 [True] = True$
 $f1 _ = False$

$$f1 \ [\bot, \bot] = \bot$$

 $f1 \ (False : \bot) = False$

pattern Single
$$a = [a]$$

 $f2 :: [Bool] \rightarrow Bool$
 $f2 (Single True) = True$
 $f2 _ = False$

$$f2 [\bot, \bot] = False$$

 $f2 (False : \bot) = \bot$

Conclusion

History

- Proposal added in 2011
- ▶ New in GHC 7.8 in 2014
- Incremental improvements in GHC 7.10 and 8.0
- ▶ Used in 72 packages on Hackage (as of June 2016)

Check our paper for more...

- Lots of examples
- Pattern synonym directionality
- Record syntax support
- Importing/exporting
- Shorthand syntax for pattern synonym signatures
- Formalisation of pattern types (in the extended version)

http://unsafePerform.IO/patsyn